The impact of computer and mathematics software usage on performance of school leavers in the Western Cape Province of South Africa: A comparative analysis

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ABSTRACT

In this study the impact of computer immersion on performance of school leavers Senior Certificate mathematics scores was investigated across 31 schools in the EMDC East education district of Cape Town, South Africa by comparing performance between two groups: a control and an experimental group. The experimental group (14 high schools) had access to computers since 2001 while the control schools received computers between 2006 and early 2007. That is, the experimental schools could be expected to be more immersed in computer technology than the control schools. Findings indicated that there was no significant difference between the final Senior Certificate mathematics results of the schools with the computers and those without; no significant change in the results after the Khanya labs were installed; no significant change in the percentage of pupils that passed Senior Certificate Mathematics; and no significant change in Higher Grade Maths enrolment rates. This finding points to the need for caution in the implementation of ICT’s into schools as a potential panacea for mathematical failure in our context. Recommendations for further qualitative work to provide a more nuanced picture of computer usage should be made.

Keywords: computer assisted learning; high school; impact study

INTRODUCTION

The rationale for this research is twofold: on the one hand South Africa currently faces a crisis in mathematics education, which has seen it placed last\(^1\) in the Third International Mathematics and Science Study (Howie 2001; Howie et al., 2000; Global competitiveness report 2013, Evan 2013). Despite improvements\(^2\) in the Senior Certificate\(^3\) results over the 19 year period since the first democratic elections, Chisholm (2004) indicates that the quality of primary education remains poor in South Africa, especially in under-resourced schools, where grade 6 students, for example, perform 3 years below grade level (Taylor, Muller and Vinjevold 2003). Recent research (Evans, 2013) indicates that South Africa is ranked second last in the world in terms of mathematics and science proficiency. In a bid to address this problem and build technological capacity in the country, especially in disadvantaged schools, the Western Cape Education Department (WCED) has committed itself to the integration of computer technology into schools under the Khanya project initiative. The introduction of computer software to improve mathematical performance is

\(^1\) The international average score for 38 countries was 487 points; South Africa achieved a total of 275 points.

\(^2\) The extent to which these results represent real gains has been a much debated issue in the local media, see for example Jonathan Jansen’s ‘Matric quick fixes miss the mark’ published in the Sunday Times 4/1/2004 which sparked a flurry of commentary.

\(^3\) This is a school leaving examination, colloquially referred to as the ‘matric exam’, which students write in their final year of schooling. Obtaining a matric endorsement enables students to proceed to university.
informed by a well-established relationship between learning outcomes and learning resources (Schollar 2001). The assumption underlying the implementation of computer-based technology, such as mathematics software, into schools in South Africa is that the technology will help to develop autonomous learners, who are both mathematically and technologically literate and, in doing so, will help to bridge the digital divide that continues to grow in South Africa (Department of Education 1996; 2000). While there are some studies (Howell and Lundall 1997, 2002; Organisation for Economic Co-operation and Development (OECD) 2003; Howie, Muller and Paterson 2005; Hardman 2008) that investigate the implementation of computers into schools in South Africa and while the South African Institute for Distance Education (SAIDE) (2004) research uses case study methodology, an extensive4 review of the research in the field in South Africa has not revealed any comprehensive case studies that investigate the impact of computers on Senior Certificate results. What is disturbing is that international benchmarking, in the form of the Trends in International Mathematics and Science Study (TIMSS), shows that South African pupils are way below their peers internationally when it comes to Mathematics (and, indeed, Science).

A further indicator that all is not well in the sphere of Mathematical education in South Africa is the ongoing poor Matric5 Mathematics enrolment and results. The first issue is the very low number of pupils that chose Mathematics as a subject in the Grade 10-12 band under the previous curriculum, where it was optional (all pupils in Grades 10-12 now have to take either Mathematics or Maths Literacy). For example, in 2007 only 61.5% of enrolled Matrics chose Mathematics as a subject (Department of Education 2009). The second issue is the number of pupils that passed Mathematics at Matric Level: in 2007 less than a third (32.5%) of all Matric pupils gained a pass in Mathematics at some level, with only 4.5% passing at Higher Grade level; the level accepted by universities as sufficient for study in the science or technology fields (Department of Education 2009).

Various attempts have been made by governmental and non-governmental departments and organisations to ameliorate this alarming situation. In particular, with reference to this article, the Western Cape Education Department (WCED) established the Khanya Project in April 2001 “to determine the contribution that technology could make towards addressing the increasing shortage of educator capacity in schools. With many skilled educators leaving the profession, fewer ones entering it, and AIDS already starting to take a significant toll amongst educators, it was necessary to explore alternatives. One of these alternatives is to use technology, already being used extensively in other disciplines, as an aid to augment teaching capacity” (van Wyk 2002 p.21).

The Khanya Business Plan, version 4.1 and dated 26 March 2002, described the “very ambitious goal” of the project to be: “By the start of the 2012 academic year, every educator in every school of the Western Cape will be empowered to use appropriate and available technology to deliver curriculum to each and every learner in the Western Cape.” (van Wyk 2002, p.10). The emphasis of the Khanya Project is “to use technology as a teaching aid, hence to improve curriculum delivery.” (van Wyk 2002, p.11).

In order to meet its goals, the Khanya Project has since its inception been rolling out technology (computers, computer laboratories, numeracy and literacy software, ICT teacher training and technical support) to some of the most disadvantaged schools around the Western Cape in a series of phases, termed ‘waves’. By 2007 there had been seven such waves. The mathematical

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4 This search focused on 1) published journal articles, 2) government reports and 3) NGO websites.

5 Matric is the name given to set of school-leaving examinations written by Grade 12 pupils in South Africa.
software systems provided to the high schools in the Khanya Project are one of two South African-produced systems: MasterMaths (2007) or CAMI Maths (2009). Both are examples of what is termed Computer Assisted Instruction (CAI), defined as involving the use of computers and computer software to provide drill exercises and tutorials (Kirkpatrick and Cuban 1998). While current research in CAI focuses on authentic learning as opposed to mere drill and practice exercises and tutorials, the Khanya project’s chosen software is best described as drill and practice and not as promoting authentic learning (Hardman, 2008).

It is against this background of poor Mathematics enrolment in the last three years of high school, disappointingly low Matric Mathematics pass rates, and the Khanya intervention as one means of ameliorating these issues that this research was undertaken in one education district of the Western Cape Province of South Africa, in order to see if the access to the Khanya computers has had any significant impact on Matric Mathematics results and Higher Grade enrolment. We hypothesised that computers would impact positively on student performance.

**Research on a Link between Computer Usage and Academic Attainment - Computers and Mathematics Performance in Developed Nations**

The impact of computers on academic (particularly mathematical) attainment is a much studied topic in the developed world, with numerous studies emanating from research in the United Kingdom – see Watson (1993); BECTA (2001); Higgins (2001); Harrison et al. (2002); Harrison, Lunzer, Tymms, Fitz-Gibbon and Restorick (2004) – and the United States – see Christmann, Badgett and Lucking (1997); and Tienken and Wilson (2007).

A recent landscape review of the impact of ICT in schools (Condie and Munro 2007) analysed over 350 varied literature sources published since 2000 that are related to the impact of ICT in UK schools. Their highly equivocal conclusion is the following: “the evidence of the impact of ICT on attainment is, as yet, inconsistent, although there are some indications that in some contexts, with some pupils, in some disciplines, attainment has been enhanced. There is not a sufficient body of evidence in any of these areas, however, to draw firm conclusions in terms of explanatory or contributory factors” (Condie and Munro 2007, p. 29).

All these studies were originated from relatively wealthy European or North American nations. This is unfortunate but unavoidable as it is only in those countries where computers have been used in schools for many years, and for which there are decades of research into ICT impact. It is questionable whether all the findings outlined will be transferable to impoverished schools in a city at the foot of Africa.

**Research showing Positive Impact on Particular Strands of Mathematics**

Amidst this ambivalence, a number of studies have shown ICT to have produced positive effects in various strands of Mathematics:

- Clements (2002) reported that the use of Logo helped pupils to develop higher levels of geometric thinking and to learn geometric concepts and skills; while Forsythe (2007) discovered that the use of dynamic geometry software (specifically, Geometer’s Sketchpad) aided geometric understanding.
- Raghavan, Sartoris and Glaser (1997) showed that 6th grade pupils who were taught concepts of area and volume using a computer-based programme performed better overall than 8th grade pupils taught traditionally, especially on the more complex problems.
Various studies have shown the positive effect of computer algebra software and tutoring programmes on algebra exam scores – see Koedinger et al. (1997), Shaw, Jean and Peck (1997), Stephens and Konvalina (1999) and Barrow et al. (2007).

Cox and Nikolopoulou (1997) and Hennessy (2000) illustrated the benefits of the use of computers in developing data-handling skills, extrapolation and interpolation.

One topic-based piece of research that shows clearly that using computers produced worse results than more traditional teaching methods is that of Wong and Evans (2007). Their study, involving Year 5 pupils in Sydney, Australia, showed that pen and paper instruction (PPI) methods was better than a computer based computer software package (Back to Basics Maths Multiplication) in improving pupils’ basic multiplication fact recall.

Research on Computers and Mathematics Performance in Developing Nations

When one reads literature reviews on ICT and attainment, like that of Cox et al. (2003) or Condie and Munro (2007), one is struck by the large body of research that has been done in developed countries, and the almost complete lack of (reported) research in developing nations, like South Africa. It has been shown that the level of effectiveness of computers in improving mathematical understanding is context-dependent (Noss and Pachler 1999) and thus this dearth of research into this topic in disadvantaged schools (but particularly high schools) around the world is a serious omission that the current paper attempts to address.

The only significant peer-reviewed exceptions to this general paucity are:

i. The Chilean national Enlaces (links) programme, as reported in Hinostroza et al. (2002) and Somekh (2007). This programme, which provided computers, educational software and the like to the vast majority of Chilean schools was shown to have a number of peripheral positive impacts, yet case studies of some of the schools in the Enlaces programme have not provided evidence of measurable gains on traditional national students’ assessment tests.

ii. An Indian study on computer–assisted learning (CAL) by Banerjee et al. (2005) involving an investigation of 15 000 students. They studied a two year long CAL programme for over 15 000 children in Grades 2 to 4 in the city of Vadodara, and found that mid- and post-intervention test scores showed that the CAL programme had had a substantial, statistically significant positive effect on Mathematics achievements, increasing Mathematics scores by 0.35 standard deviations in the first year of the intervention and 0.47 in the second year. It was equally effective for all pupils, from the strongest to the weakest academically.

iii. A Turkish study on the use of dynamic geometry software, as reported by Isaksal and Askar (2005), reported no statistically significant impact of computer use. This study, involving 7th grade pupils from one school instructed in a variety of mathematical topics, showed that there was no mean significant difference between the scores of the Autograph- and traditionally taught groups.

iv. A South African study by Louw et al. (2008) into the effect of the use of MasterMaths on Matric mathematics results in a sample of ten schools in the Western Cape province of South Africa; five experimental schools and five sample schools, found that that there “is only equivocal support for the effectiveness of the [Khanya] intervention” (Louw et al.

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6 MasterMaths is a Mathematics software programme that is used by many Khanya schools and which provides tutoring support
2008 p. 49), but that “the amount of time that learners spent [using MasterMaths] was significantly correlated with an improvement in mathematics performance” (Louw et al. 2008 p. 49). There “is a clear, but not conclusive indication that the Khanya intervention improves mathematics performance in Grade 12 learners” (Louw et al., 2008 p. 49).

It should be noted that only one of these studies, that of Louw et al. (2008), was completed in what in South African terms would be considered a high school.

As mentioned above, the quantitative aspect of my research will replicate much of the statistical work of Louw et al. (2008), though in different schools and with more recent data. What will be interesting to see is whether the impact of the computers on mathematical performance has increased or decreased a few years after Louw et al’s study, bearing in mind that in some Khanya schools the 2007 matric students will have had access to computers and software for 5 years; their entire high school career.

**CONCEPTUAL FRAMEWORK**

This study draws conceptually on the work of Vygotsky (1978), most specifically on the notion that tools (in our instance computer software and hardware) impact on cognitive development.

**Mediation**

A fundamental premise of Vygotskian theory is that basic biological (or ‘elementary’) processes are transformed into higher cognitive functions through the use of culturally meaningful tools (such as language or, indeed a computer) during social interaction (Vygotsky 1978). That is, children are born with certain basic, biological processes, such as for example, perception and the potential for eidetic memory (Diaz, Neal and Amaya-Williams 1993). As the child develops within the social world, these elementary processes are transformed by the child’s interaction with the social world. Higher cognitive functions develop first as interpsychological functions, with mother initially guiding the child’s activity, and later ‘turn inward’ becoming intrapsychological functions. Higher cognitive functions, then, have social origins. This conceptualisation of development famously overcomes the prior dualist7 stance to development by positing that mind is social and is captured in Vygotsky’s general genetic law:

> Every function in the child’s cultural development appears twice: first, on the social level, and later on the individual level; first, between people (interpsychological), and then inside the child (intrapsychological). This applies equally to voluntary attention, to logical memory, and to the formulation of concepts. All the higher functions originate as actual relations between human individuals. Vygotsky 1978, p.57.

What emerges from this law is a clear understanding that the nature and the quality of mediation are crucial in the development of higher cognitive functioning and, relatedly, self-regulation. Computer software, then, can be seen to mediate a student’s access to mathematics, which is the hypothesis informing this research.

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7 That is, that mind is either naturally ‘given’ or socially derived.
RESEARCH DESIGN AND METHODOLOGY

The Research Questions

The following questions were investigated in this study:

i. Are Matric Mathematics results in EMDC East high schools that have Khanya computers better than those at EMDC East high schools without Khanya computers?

ii. Have Matric Mathematics results in EMDC East high schools improved since the beginning of the Khanya intervention?

iii. Did the Khanya intervention result in a higher pass rate in Mathematics in EMDC East high schools?

iv. Did the Khanya intervention result in a higher percentage enrolment in Higher Grade mathematics in EMDC East high schools?

In order to establish the impact of technology on mathematical performance in sampled schools, the study undertook a quantitative analysis by comparing the Matric Mathematics results and enrolment of various schools in the EMDC East region; the latter chosen randomly from the four education districts in the greater Cape Town area. It is likely that the results of schools in this region are indicative and typical of all urban schools in the greater Cape Town area.

The data used were secondary in nature; data already collected and categorised and accessed via the WCED database and Khanya. The WCED data provided the Matric Mathematics results (by symbol) for each school in the EMDC East, divided into Higher Grade and Standard Grade results. The Khanya data included a list of all the EMDC East schools, the Khanya wave to which each belonged, and the installation dates of the Khanya computer laboratories and software.

Sample

31 high schools in the EMDC East region of Cape Town formed the sample. The experimental group consisted of all 14 EMDC East high schools who had had computers since at least 2001. That is, this represents the entire population of schools with the Khanya intervention. The control group was all 17 EMDC East high schools in the Khanya project who had access to computer from at least 2006. All schools were chosen based on the assumption that computers are used for no less than 1 hour per week by the students for mathematics instruction and that the teachers have had at least an hour’s training in the requisite programmes (van Wyk, 2002). However, the authors understand that access to computers does not necessarily ensure use and we read our findings with this in mind.

Data Analysis and Interpretation

It is important to note that the logic behind the Khanya intervention, as stated by Louw et al. (2008), is this: "the principal cause of the low achievement levels in Mathematics was assumed to be the low capacity of teachers, and the ICTs would compensate for low-capacity teachers" (p. 43). Put another way, "the Khanya computers and software were expected to provide the coverage of the curriculum that poorly trained teachers were not able to provide" (Louw et al., 2008 p. 43). The Khanya project was, therefore, implemented in order to impact positively on students’ mathematics results through the provision of computers and mathematics software.

Louw et al's (2008) study, based on results in the 2003 Grade 12 final examination, provide a qualified 'yes' as an answer to the question as to whether the Khanya intervention has actually succeeded in improving mathematics marks. The statistical analysis reported here, based on more recent data – the 2007 Matric results - represents an attempt to re-answer this question, and look at various new questions not answered by Louw et al. (2008), such as whether the
intervention resulted in an increase in Higher Grade (as opposed to Standard Grade) Mathematics enrolment.

THE TESTS

The Mean Student Score

Matric results are given as symbols, is converted to numerical data for statistical analysis. The points allocation used by the University of Cape Town (UCT) for Matrics who wrote before 2008 was selected as a suitable conversion table (see Table 1 below):

**Table 1: UCT’s admission rating system for the South African School Leaving Qualification**

<table>
<thead>
<tr>
<th>ACADEMIC LEVEL</th>
<th>A</th>
<th>B</th>
<th>C</th>
<th>D</th>
<th>E</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Higher Grade</td>
<td>8</td>
<td>7</td>
<td>6</td>
<td>5</td>
<td>4</td>
<td>3</td>
</tr>
<tr>
<td>Standard Grade</td>
<td>6</td>
<td>5</td>
<td>4</td>
<td>3</td>
<td>2</td>
<td>1</td>
</tr>
</tbody>
</table>

In the Matric HG results received from Khanya and used for analysis no ‘F grade’ totals are indicated. Instead, all F grades are grouped under ‘fail’ (as an F is indeed a higher grade fail). However, this did not provide a problem with this analysis as this (minor) absence is consistent across all the data.

After using the above table to convert grades to points, an average score for each pupil was generated. The method used to generate this is quite simple: for each year and each wave we multiplied the number of A grades, B grades et cetera obtained by the pupils in each of the groups by the UCT points allocation. These were then summed and the total divided by the total number of students who wrote Matric Mathematics. We have termed this final statistic the ‘mean student score’ (MSS).

**Test 1: Comparing the 2007 Matric Mathematics Results of an Experimental and Control Group**

The first test involved comparing the 2007 Matric Mathematics results between two groups: an experimental group and a control group. The unit of analysis was individual schools, and the size of the study sample was 31 high schools. The experimental group consisted of all 14 EMDC East high schools in the Khanya Pilot, second and third waves (and thus which received their Khanya labs from 2001 to 2003). Pupils at these schools would thus have had at least four years of access to the computer facilities, *assuming they were used*. The control group was all 17 EMDC East high schools in the Khanya sixth and seventh waves, which received their computer labs in the period between late 2005 and 2007. Pupils at these schools would thus have had little opportunity (on average around one year) to use the computer facilities.

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8 The different ‘waves’ mentioned refer to the different phases of implementation of the Khanya intervention, with the ‘pilot wave’ being the first group of schools that received the Khanya computers.
A t-test for independent samples was not able to be carried out as the Kolmogorov-Smirnov test for normality indicated that the data is not close to being normally distributed.

**Table 2: Mean Student Score Ranks (Test 1)**

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>Group</th>
<th>N</th>
<th>Mean Rank</th>
<th>Sum of Ranks</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean Student Score</td>
<td>2 control</td>
<td>17</td>
<td>14.35</td>
<td>244.00</td>
</tr>
<tr>
<td></td>
<td>3 experimental</td>
<td>14</td>
<td>18.00</td>
<td>252.00</td>
</tr>
<tr>
<td></td>
<td>Total</td>
<td>31</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

A non-parametric Mann-Whitney U test, which does not require the assumption of normality, was thus performed on the data instead. The test revealed no significant difference in the mean rank of the experimental group (mean rank = 18; n = 14) and the control group (mean rank = 14.35; n = 17), U = 91; z = -1.11; p = 0.266 (see Tables 2 above and 3 below).

**Table 3: Mann-Whitney U test results: mean student score (Test 1)**

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Mann-Whitney U</td>
<td>91.000</td>
<td></td>
</tr>
<tr>
<td>Wilcoxon W</td>
<td>244.000</td>
<td></td>
</tr>
<tr>
<td>Z</td>
<td>-1.111</td>
<td></td>
</tr>
<tr>
<td>Asymp. Sig. (2-tailed)</td>
<td>.266</td>
<td></td>
</tr>
<tr>
<td>Exact Sig. [2*(1-tailed Sig.)]</td>
<td>.279a</td>
<td></td>
</tr>
</tbody>
</table>

a. Not corrected for ties.
b. Grouping Variable: Group

The Mann-Whitney U test reported in table 3 revealed no significant difference in the mean rank of the experimental and the control group. The effect size statistic was also calculated as 0.2, which indicates a small to medium effect size using Cohen's (1988) criteria. In other words, a small to medium amount of the variance between the control and experimental groups' Mathematics results is explained by whether or not the students had access to computers.

On re-analysis of the schools within each of the groups, it became clear that the MSS of four schools were acting as outliers, with MSS vastly superior to the other schools in the sample. The two groups were thus re-defined by excluding these schools; one because it was a selective intake school and three others because they are ex-Model C schools with far superior facilities, better qualified teachers and a wealthier pupil body. The exclusion of these four schools ensured a more effective comparative dimension between the experimental and control schools.

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9 Model C schools were, during the Apartheid years, schools for White pupils only and were thus better resourced than township schools.
With these re-defined groups, the Kolmogorov-Smirnov test for normality indicated that the data were normally distributed. Levene’s Test for the Equality of Variances gave a significance value of 0.4129, and thus we could assume equal variances for the two groups.

**Table 4: Group Statistics (Test 1 – redefined groups)**

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>N</th>
<th>Mean</th>
<th>Std. Deviation</th>
<th>Std. Error Mean</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean Student Score</td>
<td>e</td>
<td>13</td>
<td>.9286</td>
<td>.48358</td>
</tr>
<tr>
<td></td>
<td>c</td>
<td>14</td>
<td>.6106</td>
<td>.36505</td>
</tr>
</tbody>
</table>

A t-test for independent samples was performed with the re-defined groups to compare the mean student scores of the redefined control and experimental groups. This revealed that there is no significant difference between the results for the control schools (mean = 0.6106, std deviation = 0.365) and the experimental schools (mean = 0.9286; std deviation = 0.484); t(25) = 1.938, p = 0.064 (2-tailed) (see Tables 4 above and 5 below).

The effect size statistic eta squared was calculated as 0.131, which indicates a small effect size using Cohen’s (1988) criteria. In other words, only a small amount of the variance between the re-defined control and experimental groups’ Mathematics results is explained by whether or not the students had access to computers. This is an incredibly low mean as some learners wrote standard grade mathematics and obtained a failing grade, which scored 0 points.

**Table 5: Independent Samples t-test results (Test 1 – redefined groups)**

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>Levene’s Test for Equality of Variances</th>
<th>t-test for Equality of Means</th>
<th>95% Confidence Interval of the Difference</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>F</td>
<td>Sig.</td>
<td>t</td>
</tr>
<tr>
<td>Mean Student Score</td>
<td>Equal variances assumed</td>
<td>.676</td>
<td>.419</td>
</tr>
<tr>
<td>Equal variances not assumed</td>
<td>1.918</td>
<td>22.297</td>
<td>.068</td>
</tr>
</tbody>
</table>
Test 2: Comparing Matric Mathematics Results Before and After the Khanya Intervention

The second test involved comparing the 2003 and 2007 Matric Mathematics results for Khanya schools in the fourth and fifth waves (a sample of 11 different schools). These 11 schools represent the entire population of schools which had long term exposure to computers. Schools in these two waves received their Khanya labs and software in the period from 2004 to mid 2005. Essentially this test enabled a comparison of results before and after the Khanya intervention, since in 2003 none of these schools had the Khanya facilities, and by 2007 they would have all had them for at least 2½ years.

Table 6: Paired Sample Statistics (Test 2)

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>Mean</th>
<th>N</th>
<th>Std. Deviation</th>
<th>Std. Error Mean</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean Student Score (before Khanya)</td>
<td>.9549</td>
<td>11</td>
<td>.38195</td>
<td>.11516</td>
</tr>
<tr>
<td>Mean Student Score (after Khanya)</td>
<td>.8267</td>
<td>11</td>
<td>.48608</td>
<td>.14656</td>
</tr>
</tbody>
</table>

The Kolmogorov-Smirnov test for normality indicated that the data were normally distributed, thus a paired samples t-test was conducted to evaluate the impact of the Khanya intervention on the MSS. There is no statistically significant change in the MSS from before Khanya (mean = 0.955; std deviation = 0.382) to after Khanya (mean = 0.827; std deviation = 0.486), t(10) = 0.958, p = 0.361) (see Tables 6 above and 7 below).

Table 7: Paired Samples t-test results (Test 2)

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>Paired Differences</th>
<th>95% Confidence Interval of the Difference</th>
<th>t</th>
<th>df</th>
<th>Sig. (2-tailed)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean Student Score (before Khanya) - Mean Student Score (after Khanya)</td>
<td>.12818</td>
<td>.44366</td>
<td>.13377</td>
<td>-.16987</td>
<td>.42624</td>
</tr>
</tbody>
</table>

The effect size statistic eta squared was calculated as 0.084, which indicates a very small effect size using Cohen’s (1988) criteria. Thus, only a very small amount of the variance between the Mathematics results pre- and post- Khanya intervention is explained by whether or not the students had access to computers.
Further Tests: Impact on the Matric Mathematics Pass Rate and Higher Grade Enrolment

The above tests have indicated that the Khanya intervention has not brought about a significant improvement in the overall Matric Mathematics results. There are other questions that could then be asked, however, such as:

- Did the Khanya intervention at least ensure a greater pass rate at Matric Mathematics? If this were true due to the intervention, it would be an important finding, and would indicate that the computers have been a success at improving the grades of the lowest achievers.
- Did the Khanya intervention bring about a greater (percentage) enrolment in Higher Grade rather than Standard Grade Mathematics? Again, if this were true it would be most encouraging as it is indeed the stated desire of education authorities to have more pupils sit the exams at the former rather than the latter level, as Higher Grade Mathematics is one of the key requirements for entrance to critical university courses like engineering.

Both these questions were answered by using quantitative measures.

With regard to the first question above, for each school in the same sample group as for Test 2, the total number of passes at both Higher Grade and Standard Grade level, and the total number of Matric Mathematics candidates, was determined for both the years of 2003 and 2007. These figures were then used to calculate a percentage of pass for each school. This was the raw data on which a paired samples t-test was carried out to evaluate the impact of the Khanya intervention on the percentage of pupils passing Mathematics at Matric level (the Kolmogorov-Smirnoff test for normality showed that the data was indeed normally distributed).

Table 8: Paired Samples Statistics (Test 3)

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>Mean</th>
<th>N</th>
<th>Std. Deviation</th>
<th>Std. Error Mean</th>
</tr>
</thead>
<tbody>
<tr>
<td>% passing (before Khanya)</td>
<td>40.91</td>
<td>11</td>
<td>16.32</td>
<td>4.92</td>
</tr>
<tr>
<td>% passing (after Khanya)</td>
<td>35.80</td>
<td>11</td>
<td>17.40</td>
<td>5.25</td>
</tr>
</tbody>
</table>

The results of this test showed that there was no statistically significant change in the pass percentage from before Khanya (mean = 40.9; std deviation = 16.3) to after Khanya (mean = 35.8; std deviation = 17.4), t(10) = 0.878, p = 0.401 (see Tables 8 and 9).
Table 9: Paired Samples t-test results (Test 3)

<table>
<thead>
<tr>
<th>Paired Differences</th>
<th>Paired Differences</th>
<th>95% Confidence Interval of the Difference</th>
<th>t</th>
<th>df</th>
<th>Sig. (2-tailed)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean</td>
<td>Std. Deviation</td>
<td>Std. Error Mean</td>
<td>Lower</td>
<td>Upper</td>
<td></td>
</tr>
<tr>
<td>% passing (before Khanya) - % passing (after Khanya)</td>
<td>5.115</td>
<td>19.324</td>
<td>.5.826</td>
<td>-7.867</td>
<td>18.096</td>
</tr>
</tbody>
</table>

Table 10: Wilcoxon Signed Rank Test - Ranks (Test 4)

<table>
<thead>
<tr>
<th>% on HG (after Khanya) - % on HG (before Khanya)</th>
<th>N</th>
<th>Mean Rank</th>
<th>Sum of Ranks</th>
</tr>
</thead>
<tbody>
<tr>
<td>Negative Ranks</td>
<td>2(^a)</td>
<td>2.50</td>
<td>5.00</td>
</tr>
<tr>
<td>Positive Ranks</td>
<td>4(^b)</td>
<td>4.00</td>
<td>16.00</td>
</tr>
<tr>
<td>Ties</td>
<td>5(^c)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Total</td>
<td>11</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

a. % on HG (after Khanya) < % on HG (before Khanya)
b. % on HG (after Khanya) > % on HG (before Khanya)

Table 10 responds to the question of whether the Khanya intervention caused an increase in the number of Matric Higher Grade Mathematics candidates; for each school in the same sample group as for Test 2, the number of higher grade candidates and total candidates for both 2003 and 2007 was determined. This was then converted to a percentage; used as the raw data for the tests.

Table 11: Wilcoxon Signed Rank Test Results (Test 4)

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>% on HG (after Khanya) - % on HG (before Khanya)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Z</td>
<td>-1.153(^a)</td>
</tr>
<tr>
<td>Asymp. Sig. (2-tailed)</td>
<td>.249</td>
</tr>
</tbody>
</table>

a. Based on negative ranks.

The Kolmogorov-Smirnoff test for normality showed clearly that the data was not normally distributed, thus the non-parametric alternative to the paired sample t-test, the Wilcoxon Signed
Rank Test, was carried out. This test revealed no significant difference in the percentage of pupils enrolled in Higher Grade Mathematics after the Khanya intervention compared with before, with \( Z = -1.153 \) and \( p = 0.249 \) (see table 11). The median score of percentage HG enrolment did not change from pre-intervention to post-intervention, staying at 0\% (see Table 12).

**Table 12: Wilcoxon Signed Rank Test – Descriptive Statistics (Test 4)**

<table>
<thead>
<tr>
<th>TEST RESULTS</th>
<th>N</th>
<th>Percentiles</th>
<th>25th</th>
<th>50th (Median)</th>
<th>75th</th>
</tr>
</thead>
<tbody>
<tr>
<td>% on HG (before Khanya)</td>
<td>11</td>
<td>.0000</td>
<td>.0000</td>
<td>2.2500</td>
<td></td>
</tr>
<tr>
<td>% on HG (after Khanya)</td>
<td>11</td>
<td>.0000</td>
<td>.0000</td>
<td>8.9300</td>
<td></td>
</tr>
</tbody>
</table>

The effect size statistic was also calculated as 0.25, which indicates a small to medium effect size using Cohen’s (1988) criteria. In other words, a small to medium amount of the variance between the percentage of pupils enrolled in Higher Grade Mathematics is explained by whether or not the students had access to computers.

**Interpretation of the Test Results**

Results from these tests appear to indicate that the Khanya intervention has not brought about a significant improvement in the sample schools’ Matric Mathematics results. In addition, calculations of effect score statistics showed that any variances in mean student scores were typically influenced in only a small way by the Khanya intervention.

In fact, if one looks at the mean student score of the schools in the sample used for the second test (pre- and post-intervention), one can see that after the Khanya intervention the MSS has actually decreased (from 0.955 to 0.827, a decrease of 13.4\%) – see Table 6. Similarly, the percentage of pupils passing Mathematics at Matric level has also decreased after the Khanya intervention, from 40.9\% to 35.8\%.

One needs to interpret these observations carefully, however, as it is not totally right to infer from this that the Khanya intervention has not had a cognitive impact. This is because, firstly, the statistical analyses showed that there was no statistically significant change in the pre- and post-intervention results in either direction, and secondly, the Khanya intervention, by which access to computers is enabled, is only one of the many factors that influence Matric Mathematics results, as is shown in the next section.

**Other factors influencing Mathematics results**

Taylor et al. (2003) have summarised the many factors which will influence pupil performance in South Africa. These include a number of factors – such as race, gender, socio-economic status and teacher-pupil ratios - which, whilst extremely significant in influencing Matric Mathematics results, would probably not be relevant at this instance as there would almost certainly be only a minimal change in these over the 4 year period (2003 to 2007) between the pre-Khanya results and post-Khanya results used in the above analysis.
However, the following influential factors might well have changed in the sample over the 4 year period, mainly due to the inevitable turnover of staff at schools:

- Teacher qualifications
- The teaching method utilised by the teachers
- Availability and variety of learning materials
- School ethos – particularly the presence of a joint vision between staff and pupils regarding the future of the school and the importance of a strong work ethic
- The level of effectiveness of the school management
- The level of discipline of pupils and teachers
- Community relations – whether or not the students, staff and parents are working together to facilitate good education

It might be that in a number of the schools in the EMDC East that were tested pre- and post-Khanya intervention there has been a decline in the quality of some or all of these measures listed above. If that were the case, it would certainly explain why the MSS has declined. Many of these variables are very difficult to measure (especially retrospectively) and, where they are quantifiable, access to such data will be extremely difficult due to their sensitive nature. This makes controlling (statistically) for these factors very difficult. In addition, the samples used in these tests are simply not large enough to attempt such highly complex models.

The consequence of this is that we have not attempted to work any of these factors into our current analyses. However, their influence is large and could provide excellent research opportunities for those interested in pursuing this line of investigation.

One other factor which was not mentioned by Taylor et al. (2003) but is obviously significant in the context of determining whether or not the use of computers has made a difference to Mathematics results, is the frequency of use of the mathematics software. Louw et al. (2008) performed correlational analyses on the relationship between improvement in Mathematics performance and the amount of time spent on the MasterMaths system, and found it to be positive, statistically significant and moderate in strength ($r = 0.37; n = 125; p < 0.001$).

Unfortunately, as has been shown by the same Louw et al. (2008) study into the use of MasterMaths in Khanya schools, pupils spent very little time using the software provided. In three of the experimental schools used in the study for which log files of MasterMaths usage were available, over a six month period Matric pupils logged onto MasterMaths an average of only seven times, for an average total of little over 2½ hours (158 minutes). This raises the critical question as to how effective an intervention like Khanya can be if the advanced technology it provides is used so seldom. As Louw et al. (2008) state: “the statistics reported…are so low as to raise serious concerns about the implementation of the intervention” (p. 45).

**DISCUSSION AND CONCLUSION**

Our findings regarding the impact of computers on academic performance in Mathematics are uniform. Whether one is looking at a before- and after-scenario regarding the availability of computers, or a comparison between schools with and others without computers; in neither case do our findings shown a significant change in Matric Mathematics results. Similarly, no significant changes were shown in the percentage of passes, nor in the percentage of Higher Grade candidates, before and after the Khanya intervention. We began this paper posing the following questions:

i. Are Matric Mathematics results in EMDC East high schools that have Khanya computers better than those at EMDC East high schools without Khanya computers?
ii. Have Matric Mathematics results in EMDC East high schools improved since the beginning of the Khanya intervention?

iii. Did the Khanya intervention result in a higher pass rate in Mathematics in EMDC East high schools?

iv. Did the Khanya intervention result in a higher percentage enrolment in Higher Grade mathematics in EMDC East high schools?

Our findings reported above point to a negative response to all questions posed.

These findings contrast with the majority of previous studies which found a positive, beneficial relationship between the use of computers and Mathematics results – for example, the studies of Christmann et al. (1997), Waxman et al. (2002), Banerjee et al. (2005) and Harrison et al. (2004). Our findings were more in line with the minority group that did not find a positive impact on the same, such as Angrist and Lavy (2002), and Wong and Evans (2007). Some major meta-analyses of computers’ impacts, such as those of Higgins (2001) and Tienken and Wilson (2007), agreed that whilst some studies have shown positive impacts other have shown otherwise.

It needs to be re-iterated, however, that this study does not attempt to isolate the numerous factors that impact on Mathematics attainment in Khanya schools; instead focussing on only one (the provision of computers and Mathematical software). The fact that providing the facilities has not, in this instance, brought about an improvement in Matric Mathematics results could merely indicate that this intervention is insufficient to make a difference in isolation. Put another way, the other factors that are impeding the improvement in Mathematics results may be too strong to be overcome by this initiative alone. If and when these other impediments are overcome sufficiently then it is possible that the Khanya computers may prove their ability to impact Mathematics results positively.

Further to this, this research did not include a quantitative analysis of the number of hours that the computers were utilised by each of the schools included in the various samples used in the tests. There were limited evidence that is available to answer this question - based on phone calls to around a dozen or so disadvantaged schools in the Cape Town area; the data on computer usage from a Khayelitsha case study school; and the work of Louw et al. (2008) in the same city - would seem to indicate that various factors have restricted the use of the Khanya computers in the mathematics class to, in most cases, seldom or never. Obviously, the mere presence of computers in these schools is not going to be enough to bring about an improvement in Mathematics grades; they need to be utilised for the purposes envisaged by the Khanya Project to ensure a positive impact.

As Banerjee et al’s (2005) very encouraging study of a computer-assisted learning intervention in Vadodara, India, showed, the key is making use of the computers that are already in the schools but are not being used. “The programme found a way to make these computers pedagogically useful in the treatment schools, without placing additional demands on teachers’ time. It is the utilisation in this specific way and not the possession of the computers that had an impact” (Banerjee et al., 2005 p. 6).

In conclusion, this research points to the fact that computers, alone, cannot impact on mathematical attainment; how they are used is critical to understand how they can potentially impact attainment. That is, further, qualitative work needs to be done to ascertain how or indeed whether, computers in South African schools are used as cognitive tools.
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Global Competitiveness Report 2012-2013 available from:


